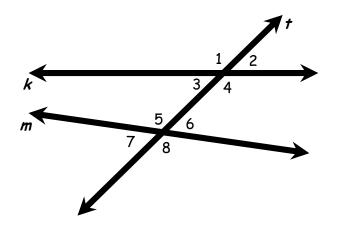


# PROPERTIES OF PARALLEL LINES

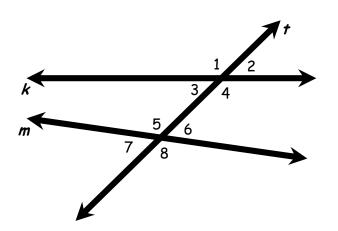
 Learn and apply the postulates and theorems surrounding special pairs of angles formed by parallel lines and a transversal

### **Review**

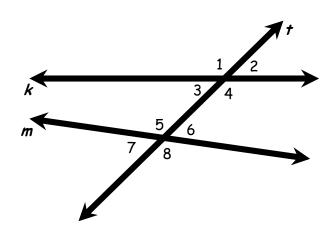
#### **Corresponding Angles**



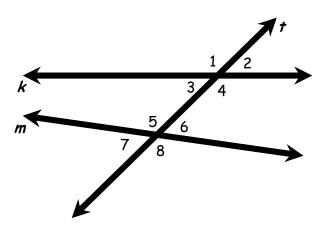
#### **Alternate Interior Angles**



#### **Alternate Exterior Angles**



#### **Same Side Interior Angles**



## Exploring

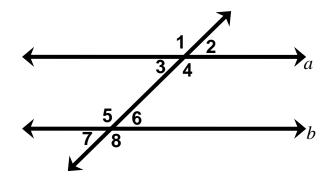
# Corresponding Angles (CA) POK If two parallel lines are cut by a transversal, then the corresponding angles are \_\_\_\_\_

# Alternate Interior Angles (AIA) POK If two parallel lines are cut by a transversal, then the alternate interior angles are \_\_\_\_

### **Proof of the Alternate Interior Angle Theorem**

Given:  $a \parallel b$ 

Prove:  $\angle 3 \cong \angle 6$ 



Statements	Reasons

<u>Corresponding Angles</u>	(CA) POK
If two parallel lines are cut by a	transversal,
then the corresponding angles a	are

# Alternate Interior Angles (AIA) POK If two parallel lines are cut by a transversal, then the alternate interior angles are

Alternate Interior Angles (AEA) POK If two parallel lines are cut by a transversal, then the alternate exterior angles are \_\_\_\_\_

### Same Side Interior

**Same Side Interior** (SSI)

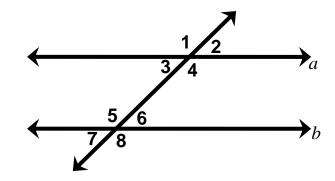
If two parallel lines are cut by a transversal, then the same side interior angles are



### **Proof of the Same Side Interior Angle**

Given:  $a \parallel b$ 

Prove:  $\angle 4 \& \angle 6$  are supplementary



Statements	Reasons